

A parametrization of the dynamics of cold pool population in the LMDZ GCM

Jean-Yves Grandpeix, LMDZ Team

UTCC - PROES ; 22-24 October 2018

Some LMDZ GCM present issues

LMDZ GCM :

- deep convection driven by boundary layer cloudy thermals and by cold pools (wakes).
- No propagation nor transport of deep convection

Problems among others :

- it rains every day over tropical oceans.
- poor variability (e.g. MJO)

Unsatisfactory feature : The number density of cold pools is prescribed (10^{-9} wakes per m^2 over ocean and $8 \cdot 10^{-12}$ over land).

Objectives :

- Get rid of prescribed wake density
- Variability of precipitation
- Represent aggregation
- Farther : represent propagation.

1- The ALP-ALE system: coupling boundary layer thermals, deep convection and density currents. (LMD & CNRM)

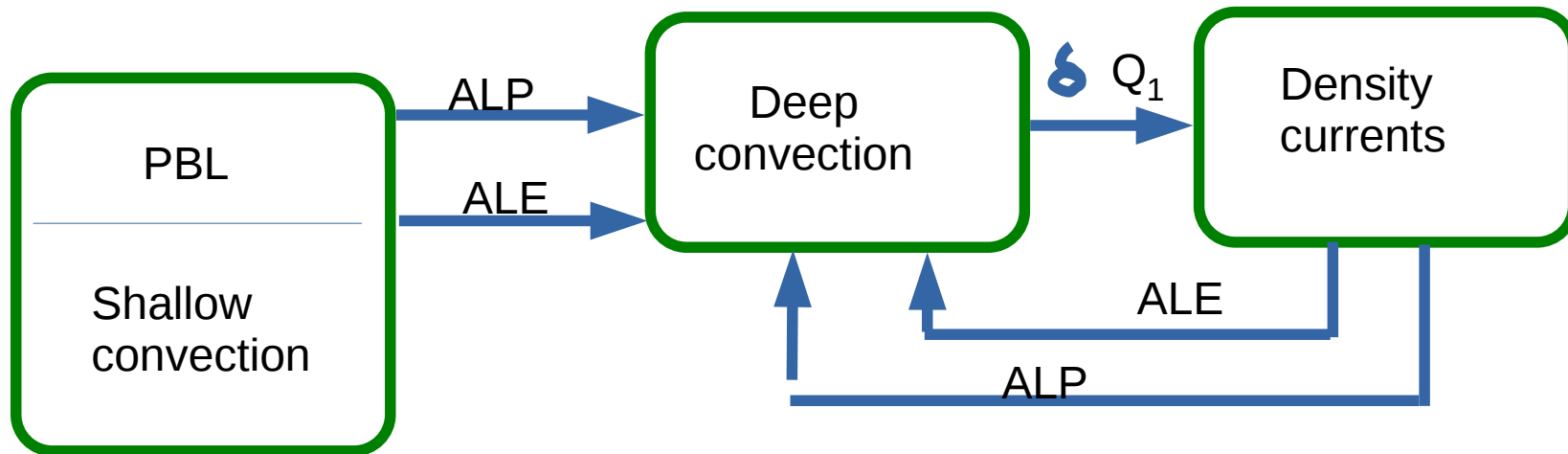
- Deep convection trigger given by the Available Lifting Energy (ALE) :

$$\text{ALE} > |\text{CIN}| \implies \text{deep convection is triggered}$$

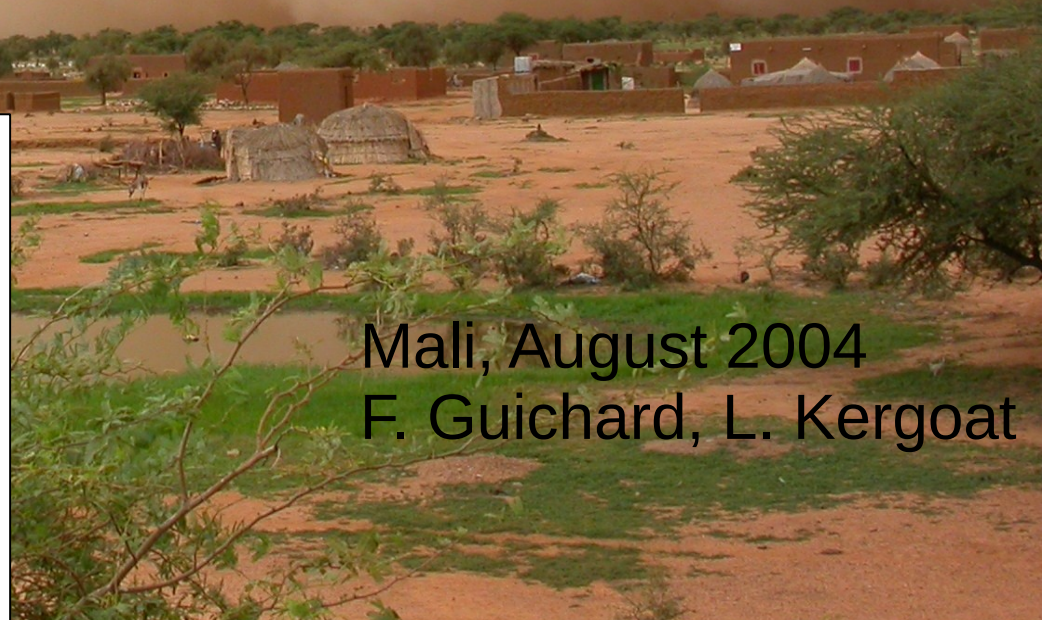
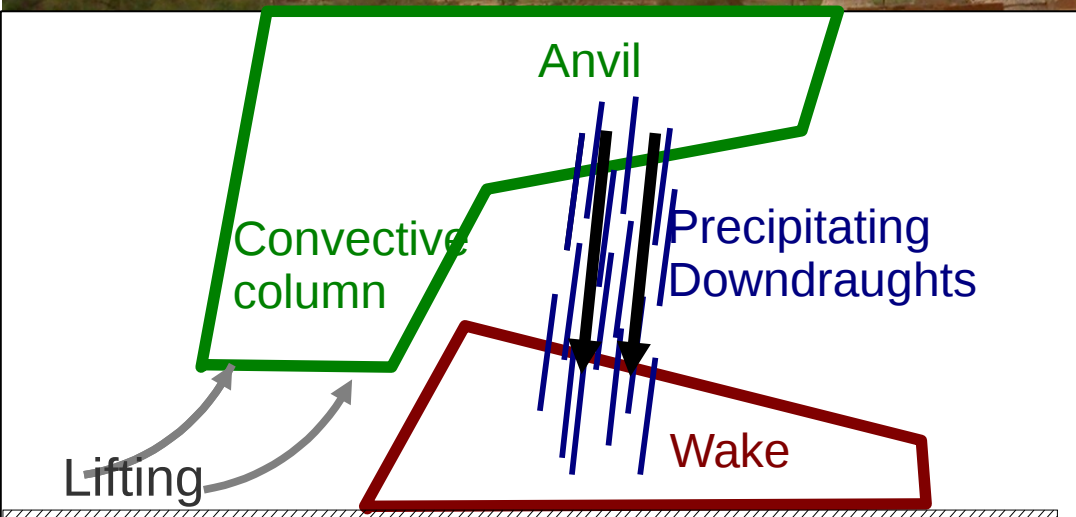
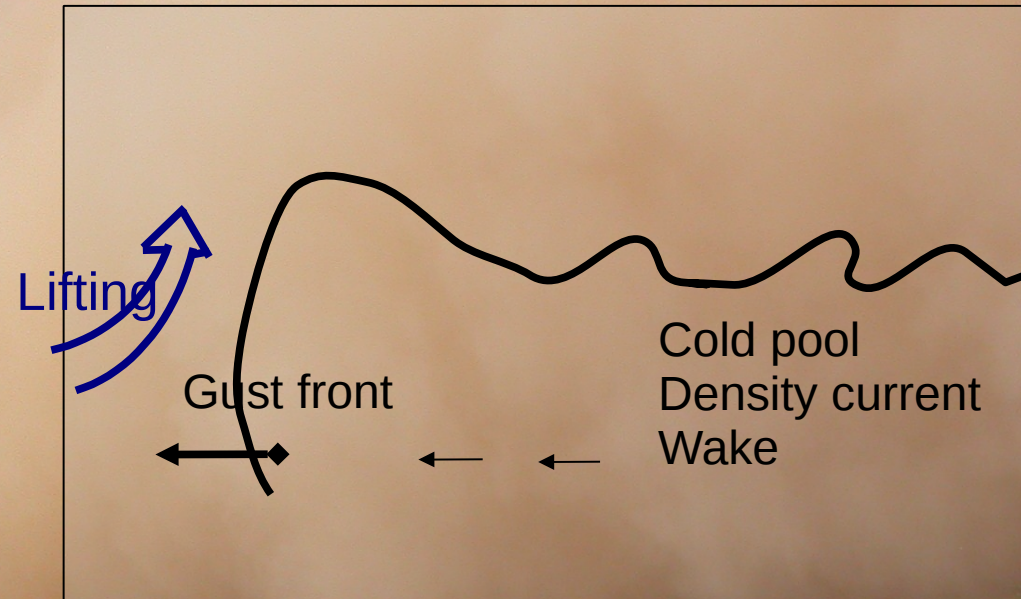
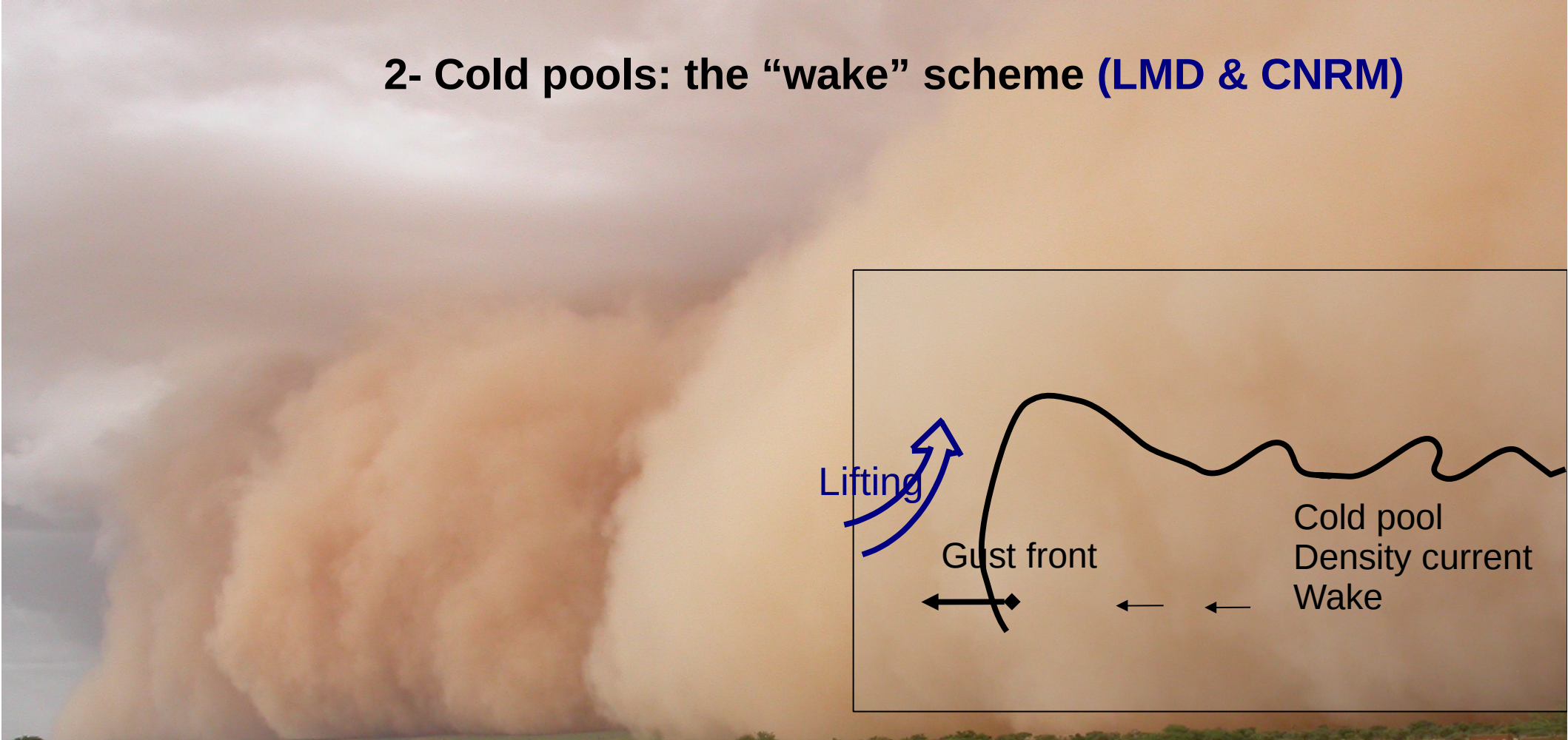
- Closure given by the Available Lifting Power (ALP) :

$$M = \text{ALP} / (2 W_B^2 + |\text{CIN}|) ;$$

M = cloud base mass flux; W_B = updraught velocity at LFC



2- Cold pools: the “wake” scheme (LMD & CNRM)



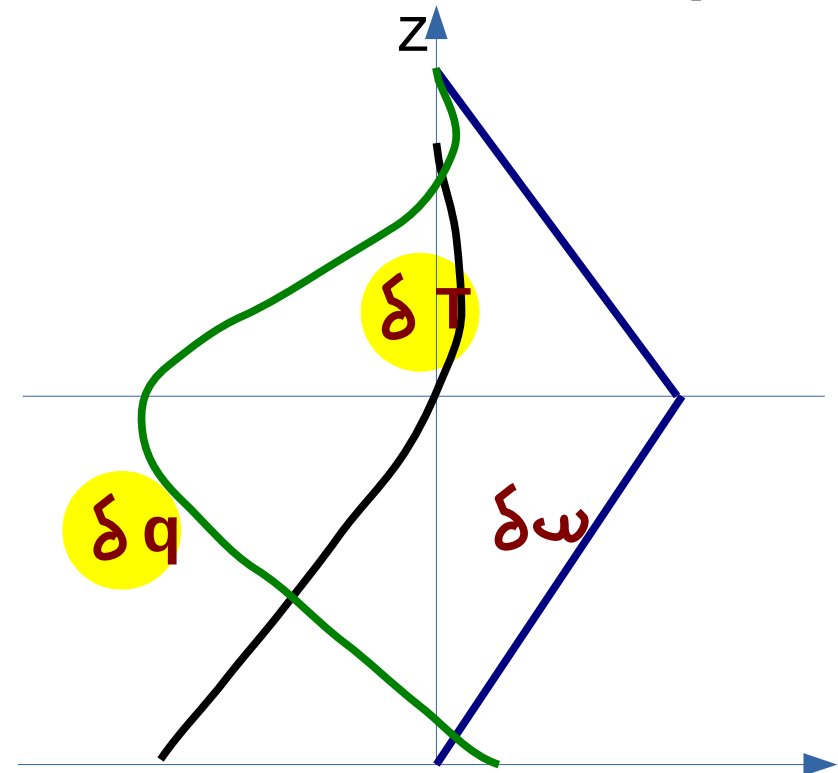
Mali, August 2004
F. Guichard, L. Kergoat

The density current (wake) parametrization

(Grandpeix and Lafore, JAS, 2010 ; Grandpeix et al., JAS 2010)

- Representation of a part of an infinite plane where identical cold pools (radius r , height h) are scattered with an homogeneous density D_{wk} .
- State variables : (i) surface fraction covered by the wakes $\sigma_w = \frac{S_w}{S_t}$ ($\sigma_w = \pi r^2 D_{wk}$), (ii) temperature and humidity differences (resp. $\delta\theta(p)$ and $\delta q(p)$) between wake and off-wake regions.
- Spreading speed : C_* such that $C_*^2 \simeq WAPE$ (Wake Potential Energy) ; $WAPE = \int_{p_{top}}^{p_{surf}} R_d \delta T_v \frac{dp}{p}$
- Evolutions of $\delta\theta$ and δq profiles are given by conservation equations of mass, energy and water taking into account vertical advection, turbulence and phase changes.
- Turbulence and phase change terms are assumed to be given by the deep convection scheme.
- $\delta\omega$ profile is linear between the surface and the wake top (no mass exchange through the wake boundary) ; it goes back to 0 linearly between the wake top and an arbitrary altitude (about 4000 m).

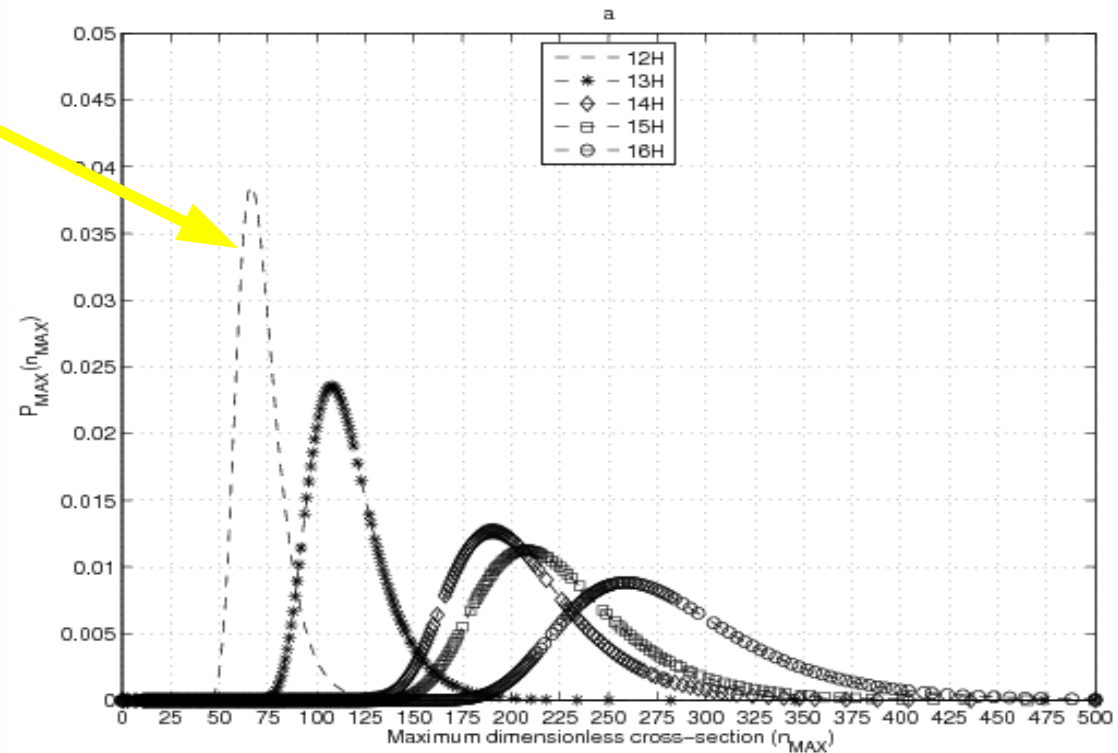
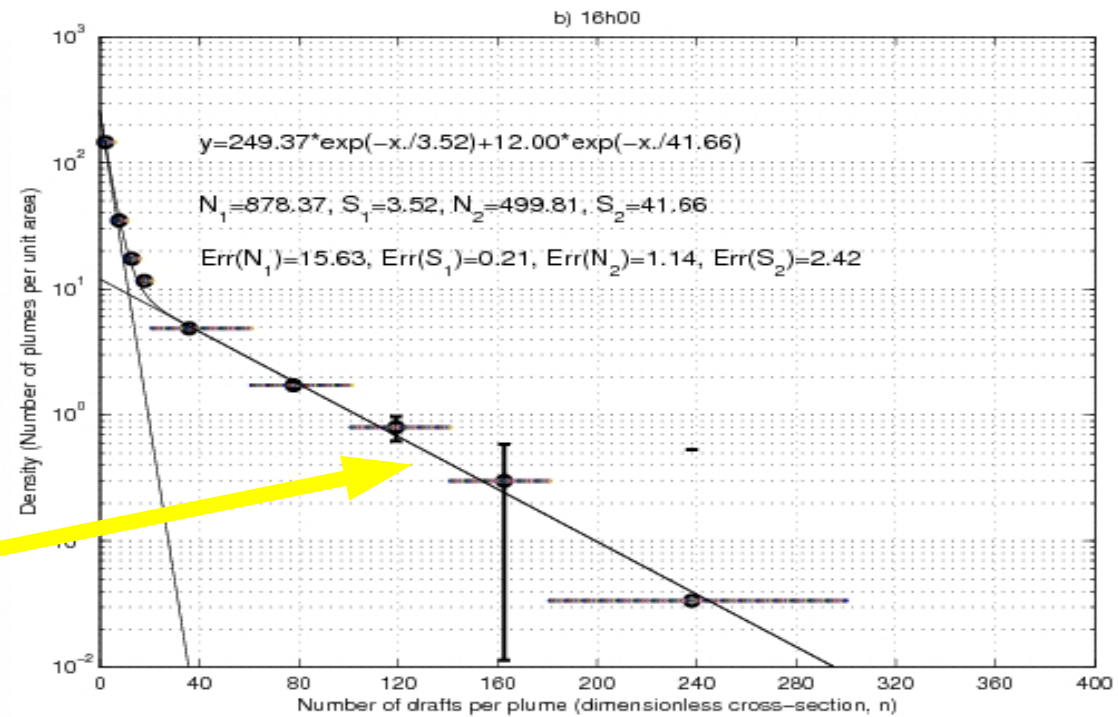
Wake differential profiles



3- Stochastic physics: Deep convection triggering by boundary layer thermals

Stochastic trigger

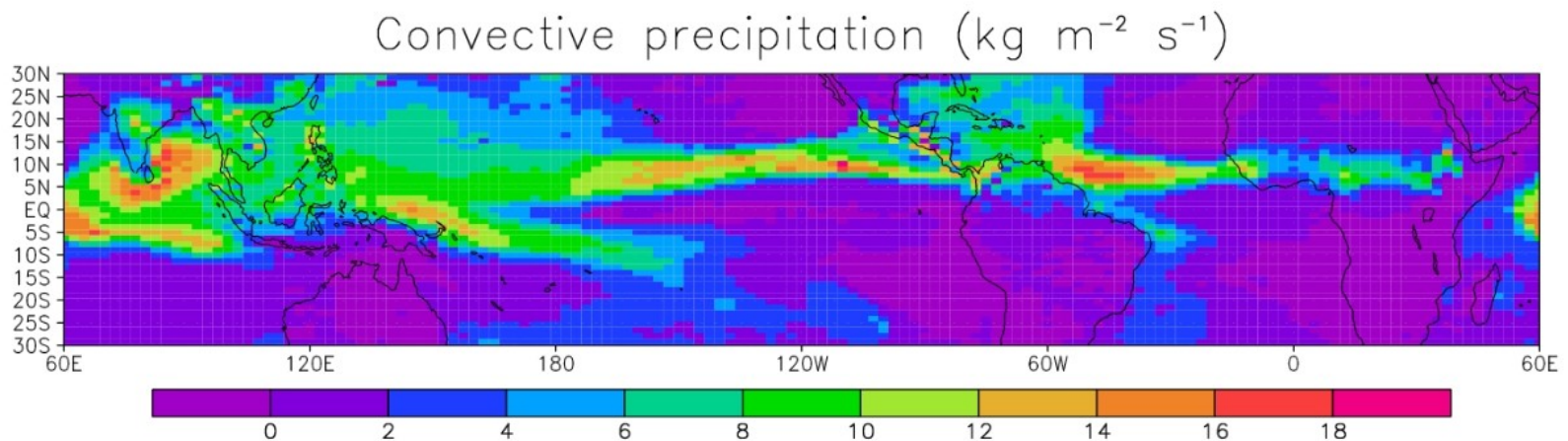
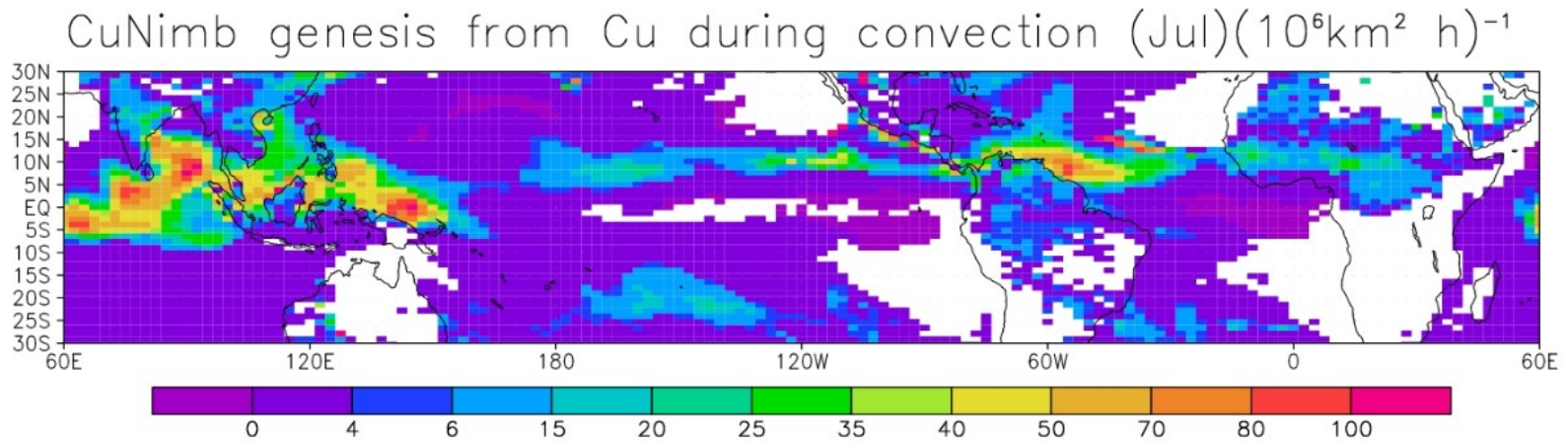
- Analysis of LES (Large Eddy Simulation" of 10 July 2006 case over Niamey :
 1. PDF of cumulus sizes is exponential.
 2. deep convection triggers when there are large cumulus.
- Trigger = "largest cumulus size exceeds a given threshold"
- From PDF of Cu size → PDF of largest cumulus size
- From the thermal model → number of cumulus clouds per unit area
- ⇒ number of cumulo-nimbus per unit area
- ⇒ probability of triggering; use of a random number generator to implement this probability (no trigger ⇒ ALE set to zero).



(Rochetin et al, JAS, 2014, I and II)

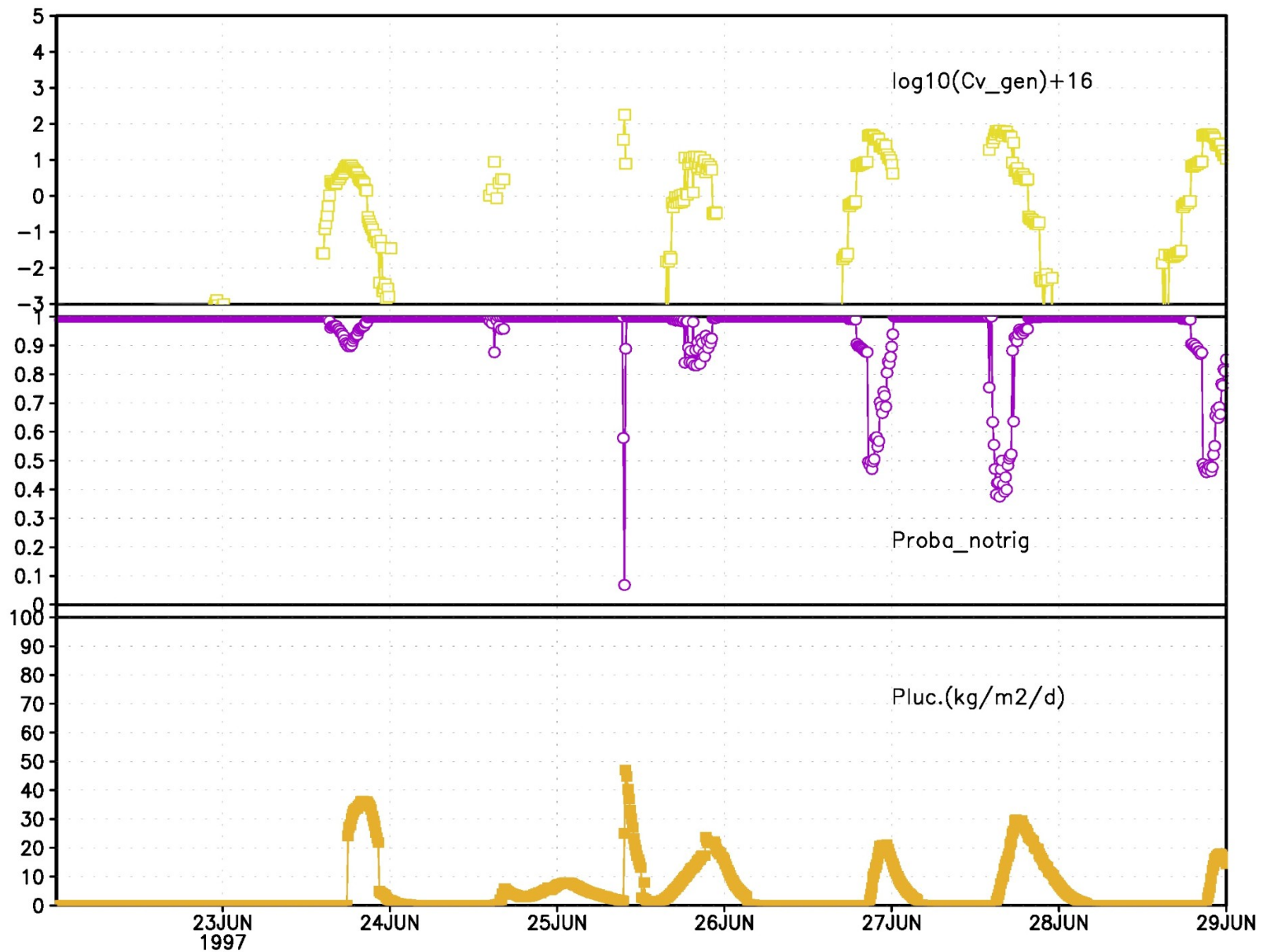
4 -Cumulonimbus & cold pool genesis

CuNimb genesis rate diagnosed from an LMDZ AMIP simulation.
Order of Magnitude : up to a hundred per million km² and per hour over ocean;
half a dozen over Sahel in July.



Moist radiative-convective equilibrium case

Moist RCE over land



5 - The new scheme

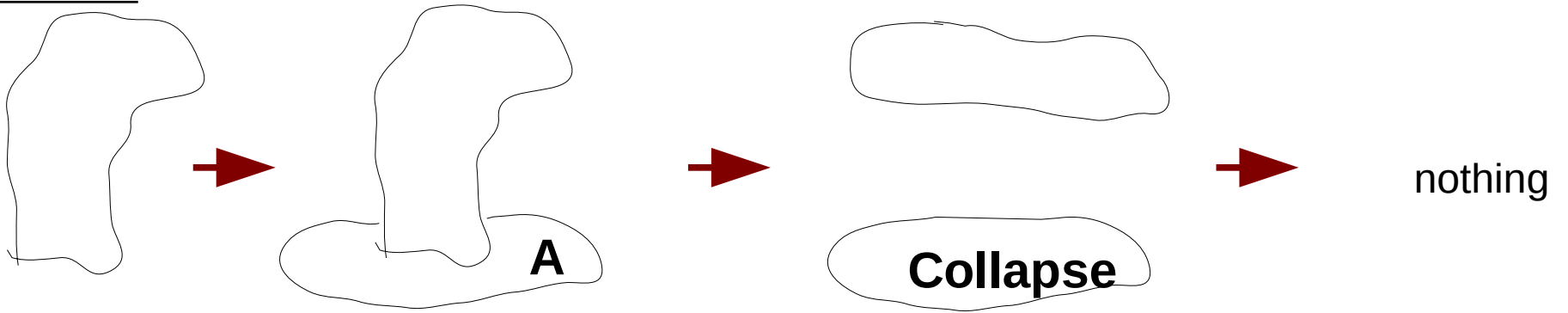
Principle:

The cold pool (or wake) scheme describes a population of identical circular wakes. It is supposed to represent a population of wakes of various sizes and ages, some fed by a cumulonimbus (the “active” ones), others merely collapsing. These wakes may collide or merge. The purpose of the scheme is to describe the evolution of such a diverse population while representing a population of identical wakes.

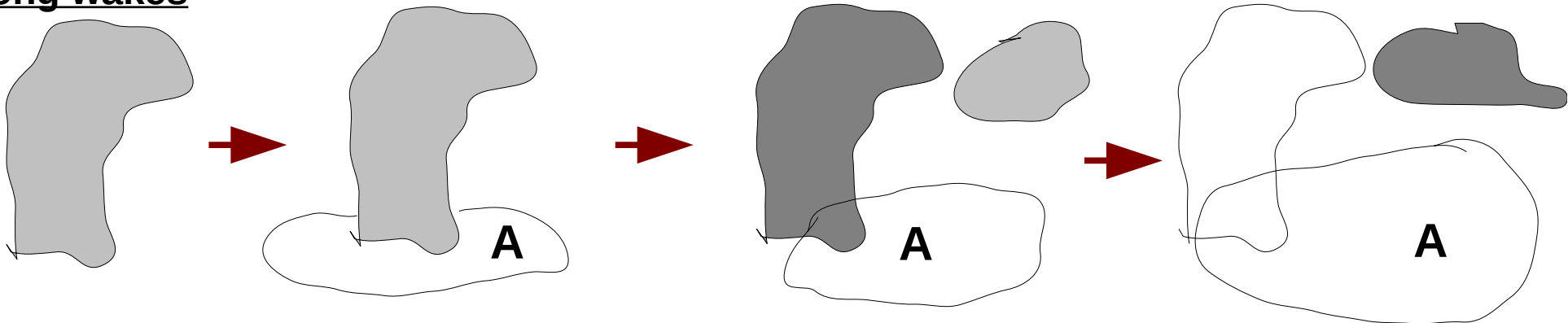
Structure:

- Two categories of wakes: active (with cumulonimbus) and inactive (collapsing). D is the number of wakes per unit area and A the number of active ones. The active wakes become inactive when their attached Cb's decay. The inactive ones decay by collapsing.
- The wake radius varies by three mechanisms: (i) spread (speed C^*); (ii) genesis (new cold pools are small, hence cold pool genesis induces a decrease of the mean wake area); (iii) coalescence (when colliding wakes merge, yielding a larger wake, the average size increases).

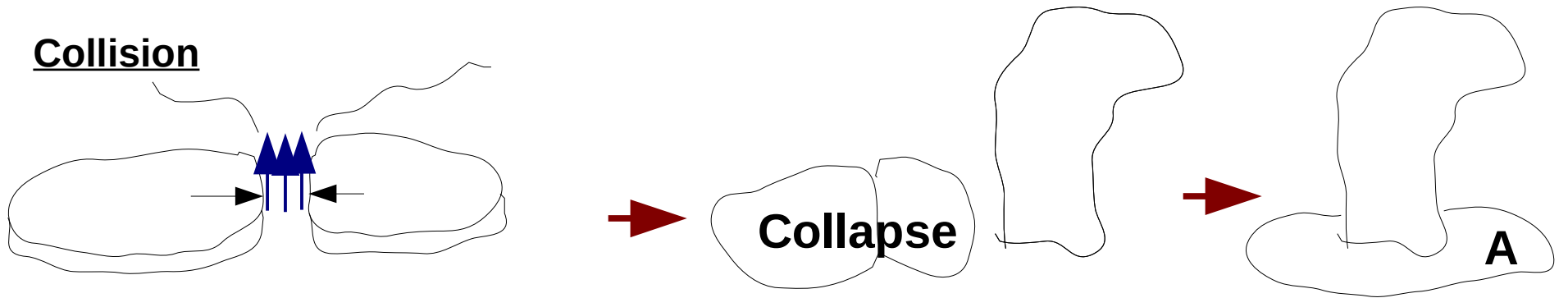
Weak wakes



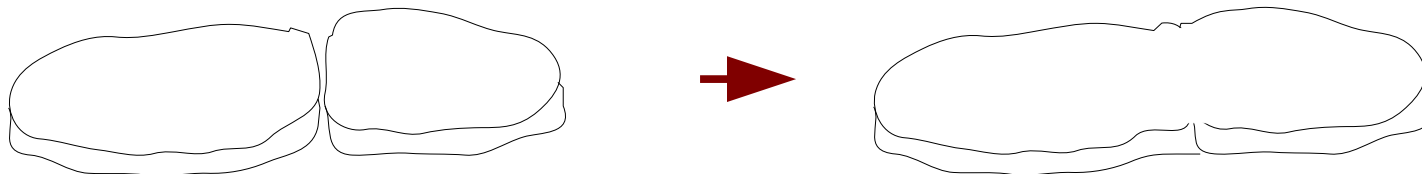
Strong wakes



Collision



Merging



Model equations

- A : number of active wakes per unit area
- D : number of wakes per unit area
- σ : fractionnal area covered by wakes
- r : wake radius
- B : birth rate of Cumulonimbus (and of wakes)
- a_0 : initial area of newborn wakes
- C_* : gust front velocity
- τ_{cv} : lifetime of convective plumes
- τ : lifetime of collapsing wakes
- β : fraction of wakes that are active
- α : factor going from zero (colliding wakes merely merge, without wake area loss) to 1 (colliding wakes induce a new one that grows while the two others collapse) : should depend on shear. Presently, $\alpha = 1$.

$$\left\{ \begin{array}{l} \partial_t A = B - \frac{1}{\tau_{cv}}(A - \beta D) \\ \partial_t D = B - \frac{D - A}{\tau} - 4\pi r D^2 \partial_t r \\ \partial_t \sigma = Ba_0 - \frac{\pi r^2}{\tau}(D - A) + 2\pi r DC_* \\ \quad - \alpha 4\pi r D \partial_t r (2\sigma - Da_0) \end{array} \right.$$

collisions

and from $\sigma = \pi r^2 D$: $\partial_t \sigma = 2\pi r D \partial_t r + \pi r^2 \partial_t D$

Two ways of understanding the βD term :

- It is a nudging of the active wake density A towards a fraction β of the wakes.
- The activation or re-activation of wakes by wake-induced Cb's should appear as a source term proportional to D .

When cold pools are too weak, they cannot induce deep convection at their gust front :

$$\beta = 0 \text{ when } ALE_{wk} < CIN.$$

However, LES seem to indicate that even when $ALE_{wk} > CIN$ there are no Cb appearing at cold pool boundaries.

Need for a better parametrization of the ability of cold pools to induce dynamically deep convection.

Model equations

- A : number of active wakes per unit area
- D : number of wakes per unit area
- σ : fractionnal area covered by wakes
- r : wake radius
- B : birth rate of Cumulonimbus (and of wakes)
- a_0 : initial area of newborn wakes
- C_* : gust front velocity
- τ_{cv} : lifetime of convective plumes
- τ : lifetime of collapsing wakes
- β : fraction of wakes that are active
- α : factor going from zero (colliding wakes merely merge, without wake area loss) to 1 (colliding wakes induce a new one that grows while the two others collapse) : should depend on shear. Presently, $\alpha = 1$.

$$\left\{ \begin{array}{l} \partial_t A = B - \frac{1}{\tau_{cv}}(A - \beta D) \\ \partial_t D = B - \frac{D - A}{\tau} - 4\pi r D^2 \partial_t r \\ \partial_t \sigma = Ba_0 - \frac{\pi r^2}{\tau}(D - A) + 2\pi r DC_* \\ \quad - \alpha 4\pi r D \partial_t r (2\sigma - Da_0) \end{array} \right.$$

collisions

and from $\sigma = \pi r^2 D$: $\partial_t \sigma = 2\pi r D \partial_t r + \pi r^2 \partial_t D$

Two ways of understanding the βD term :

- It is a nudging of the active wake density A towards a fraction β of the wakes.
- The activation or re-activation of wakes by wake-induced Cb's should appear as a source term proportional to D .

When cold pools are too weak, they cannot induce deep convection at their gust front :

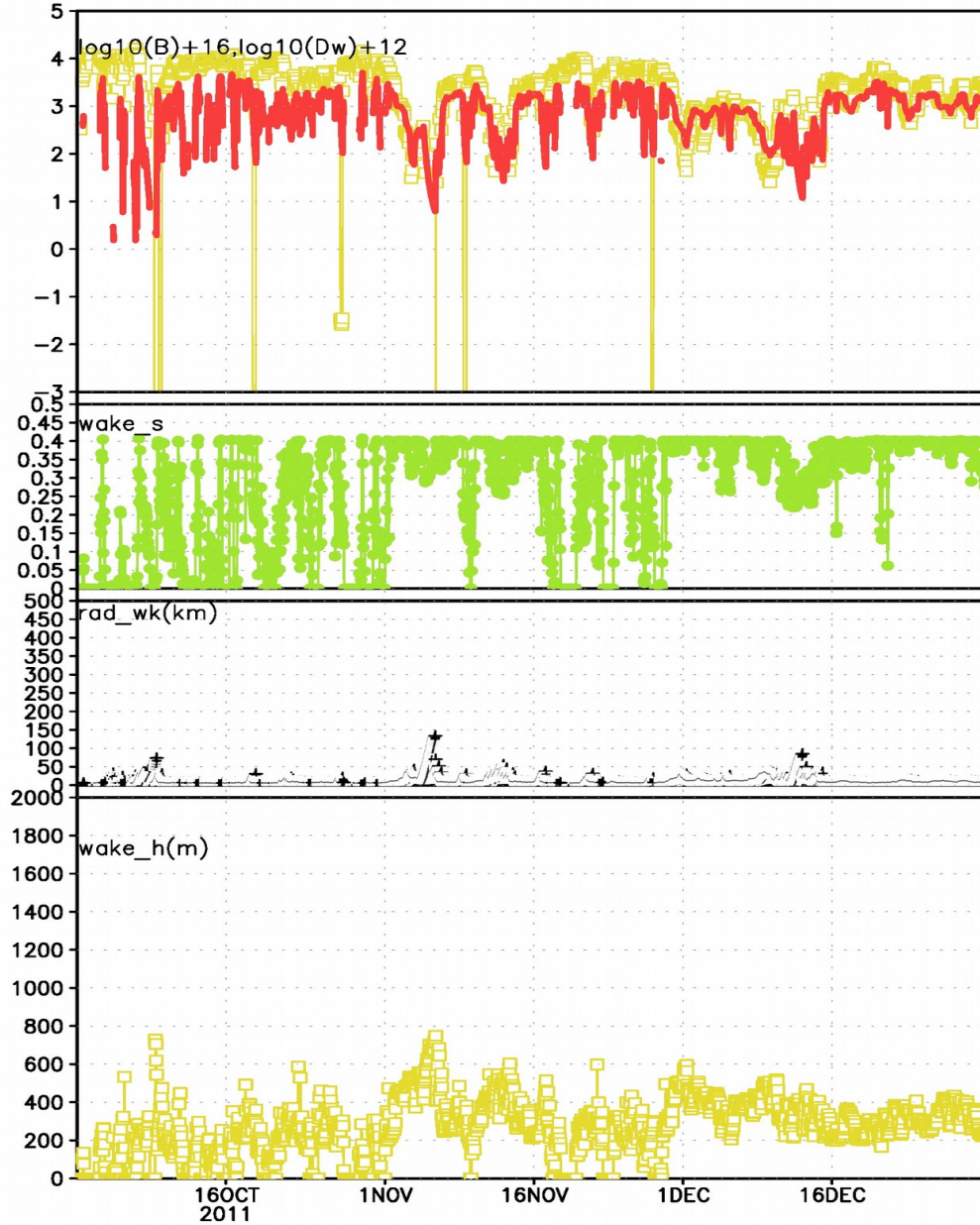
$$\beta = 0 \text{ when } ALE_{wk} < CIN.$$

However, LES seem to indicate that even when $ALE_{wk} > CIN$ there are no Cb appearing at cold pool boundaries.

Need for a better parametrization of the ability of cold pools to induce dynamically deep convection.

Cindy-Dynamo Beta=0

NPv6.0.14—splith10popdact0L79lmd2 ; cindyna



Cindy-Dynamo

Temperature difference between wake and off-wake regions

Pop. Dyn. With beta=0

wake_deltat. noir=1-15Dec, vert=15-25Dec

Prescribed D_w

Fixed $D_w=1.E-9$

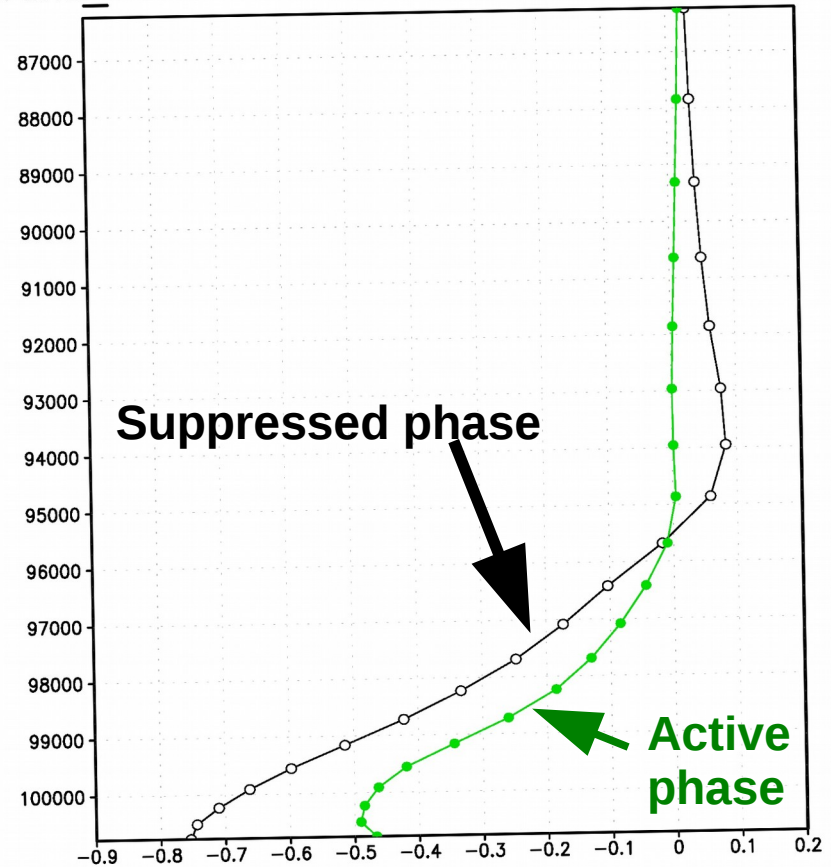
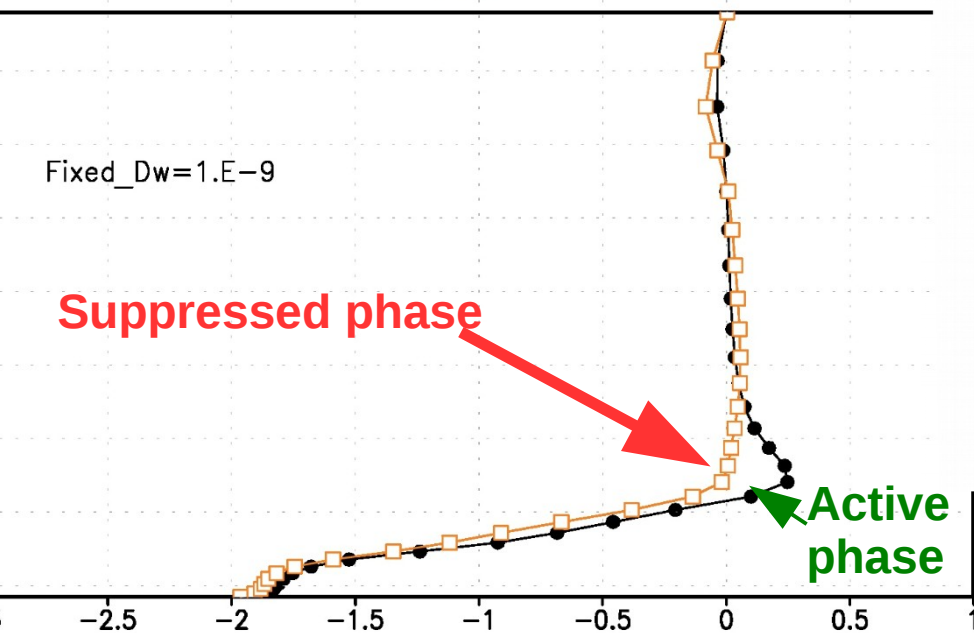
Suppressed phase

Active phase

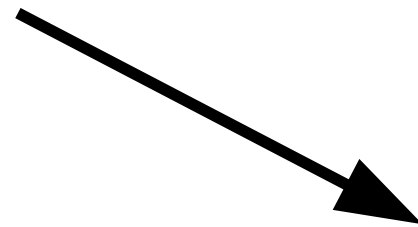
GrADS: COLA/IGES

Suppressed phase

Active phase

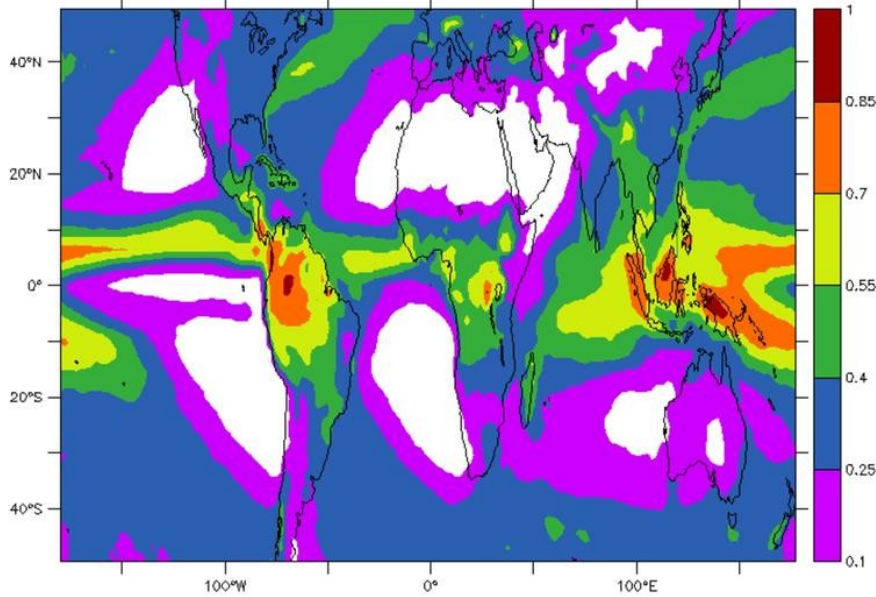


Prescribed D_w



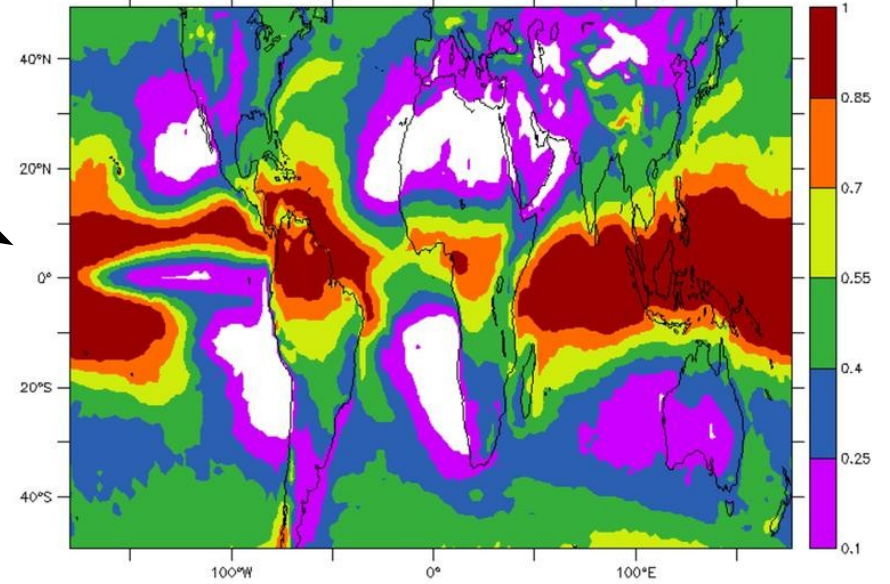
TRMM

time frac. wth daily pr. above 1mm/day



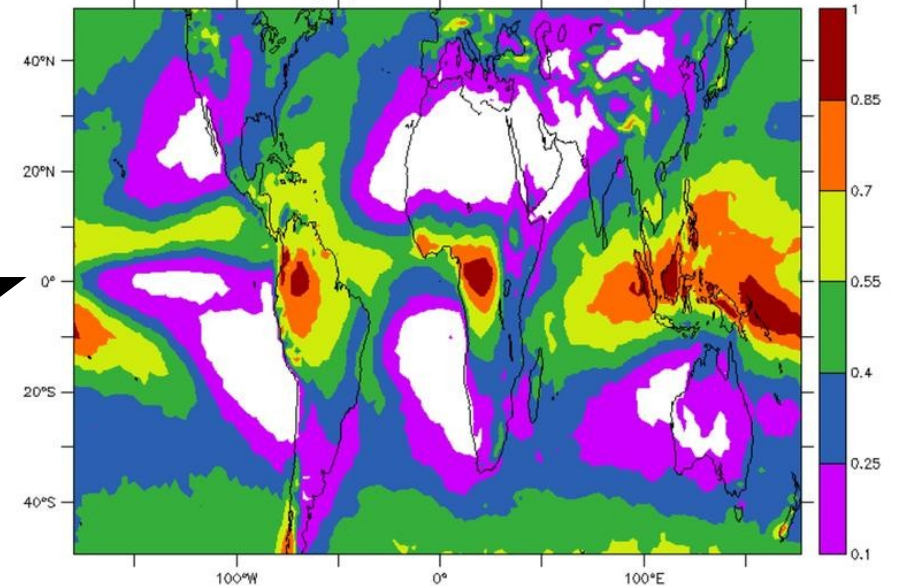
FHLR61NPv6.1 2001 2002

time frac. wth daily pr. above 1mm/day



FHLR61WK0 2001 2002

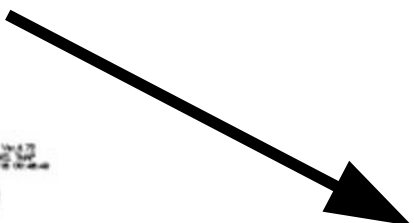
time frac. wth daily pr. above 1mm/day



Population dynamics

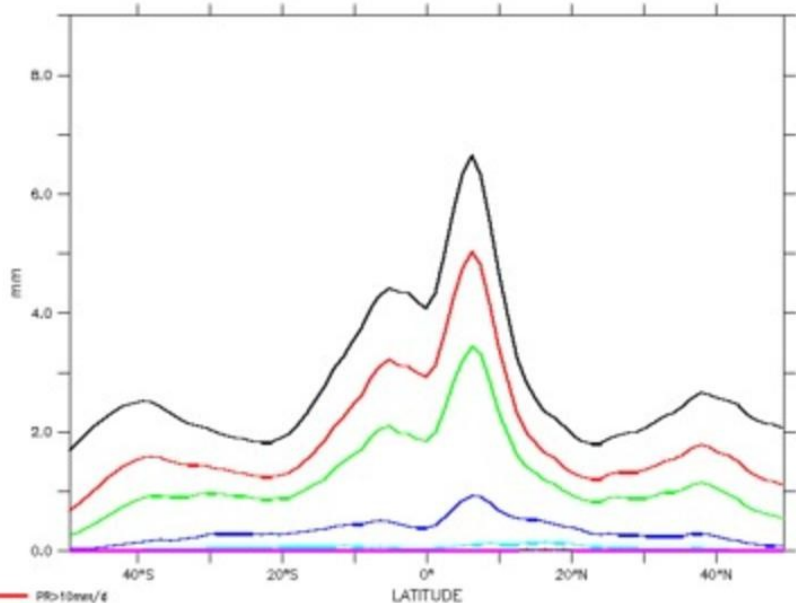


Prescribed D_w



LONGITUDE : 178.8E(-181.3) to 178.8E (XT ave)
TIME : 31-DEC-1999 12:00 to 31-DEC-2009 12:00 (XT ave)

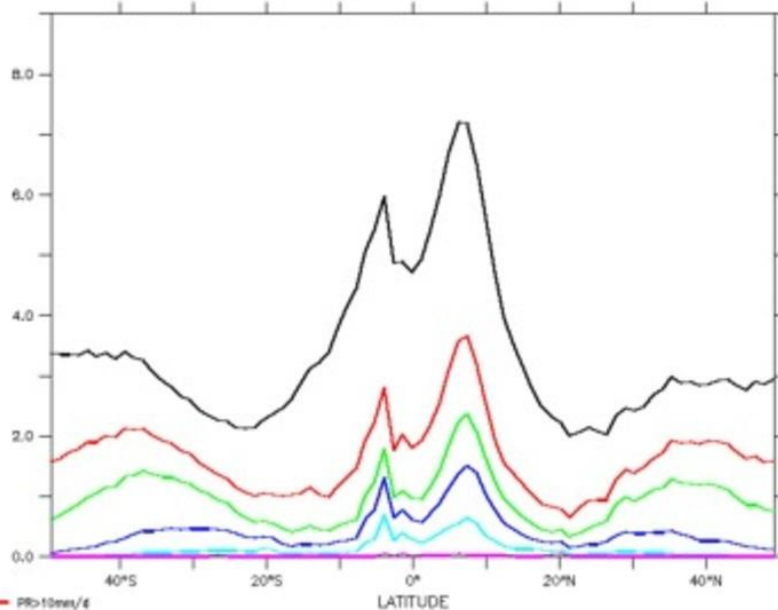
DATA SET: TRMM



TRMM, PR (mm/day)

LONGITUDE : 178.8E(-181.3) to 178.8E
TIME : 01-JAN-2001 00:00 to 06-JAN-2003 00:00:00

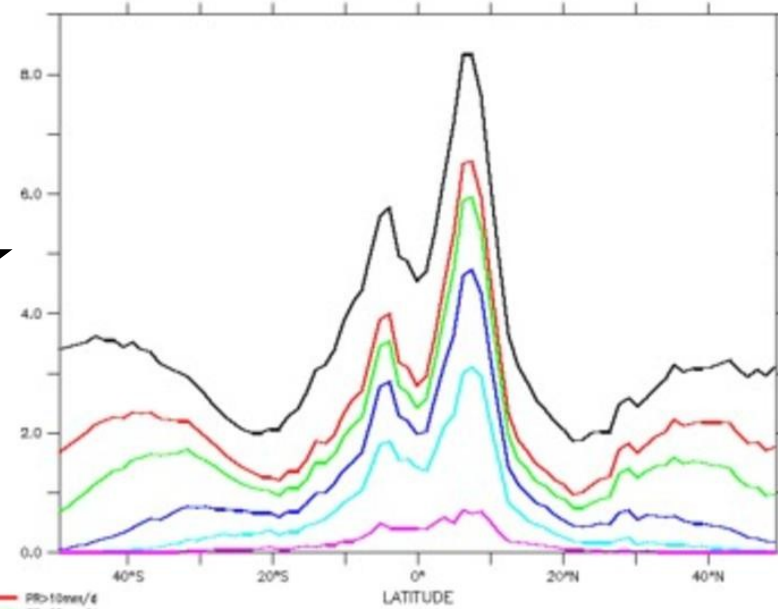
START: 10-01-2001 00:00:00
www.PdE_SAP
10-01-2001 00:00:00



FHLR61NPv6.1 2001 2002, PR (mm/day)

LONGITUDE : 178.8E(-181.3) to 178.8E
TIME : 01-JAN-2001 00:00 to 06-JAN-2003 00:00:00

START: 10-01-2001 00:00:00
www.PdE_SAP
10-01-2001 00:00:00



FHLR61WK0 2001 2002, PR (mm/day)

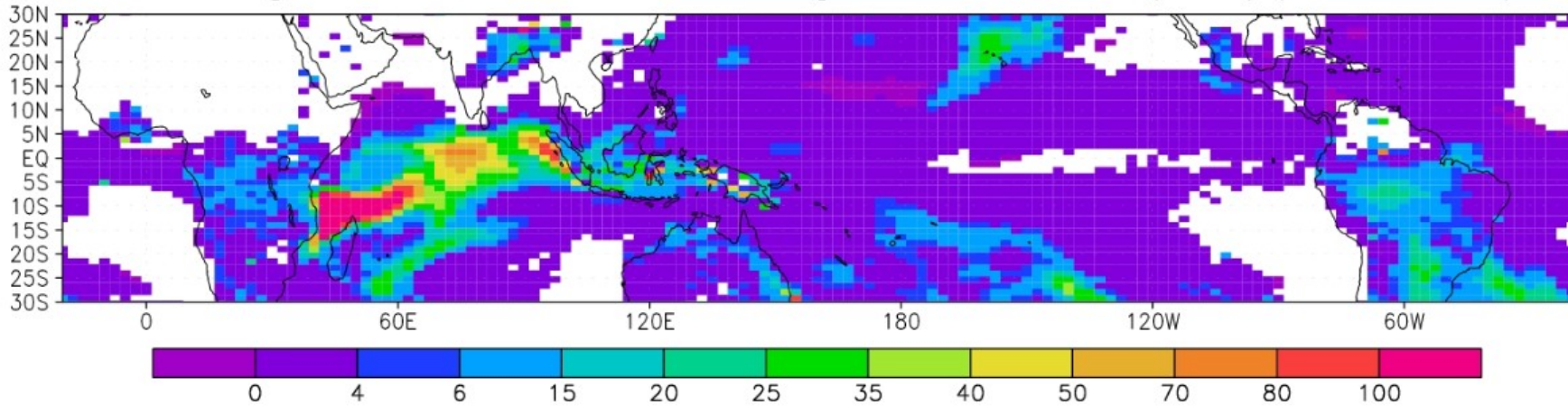
Population dynamics



Conclusion

- Although all these results are very preliminary, the model of cold pool population dynamics appears reasonable and promising.
- It has a significant impact on the behaviour of deep convection and cold pools.
- It will make it possible to abandon the prescribed values of the wake density depending on the surface type.
- It is a first step towards the representation of the advection of cold pools from one grid cell to the other.
- Obviously much work remains to be done before we understand the behaviour of the wake density D .

CuNimb genesis from Cu during convection (Feb)($10^6\text{km}^2 \text{ h}^{-1}$)



Convective precipitation ($\text{kg m}^{-2} \text{ s}^{-1}$)

